

Principles of Programming Languages

<http://www.di.unipi.it/~andrea/Didattica/PLP-14/>

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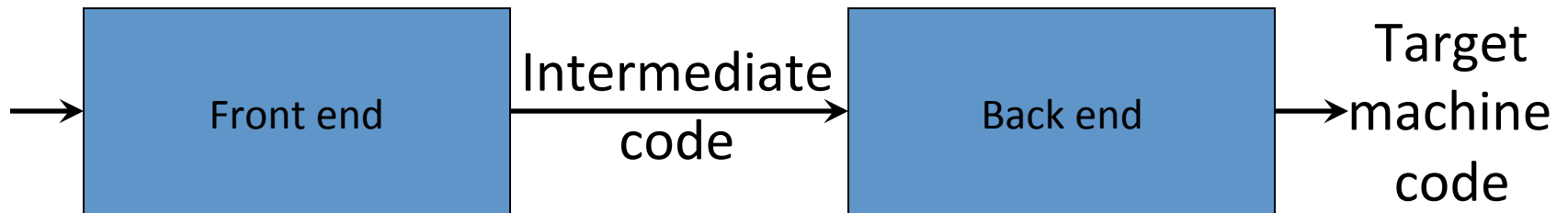
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Lesson 12

- Intermediate-Code Generation
 - Three-address code

Intermediate Code Generation

- Facilitates *retargeting*: enables attaching a back end for the new machine to an existing front end



- Enables machine-independent code optimization

Summary

- Intermediate representations
- Three address statements and their implementations
- Syntax-directed translation to three address statements
 - Expressions and statements
- Handling local names and scopes with symbol tables
- Syntax-directed translation of
 - Declarations in scope
 - Expressions in scope
 - Statements in scope

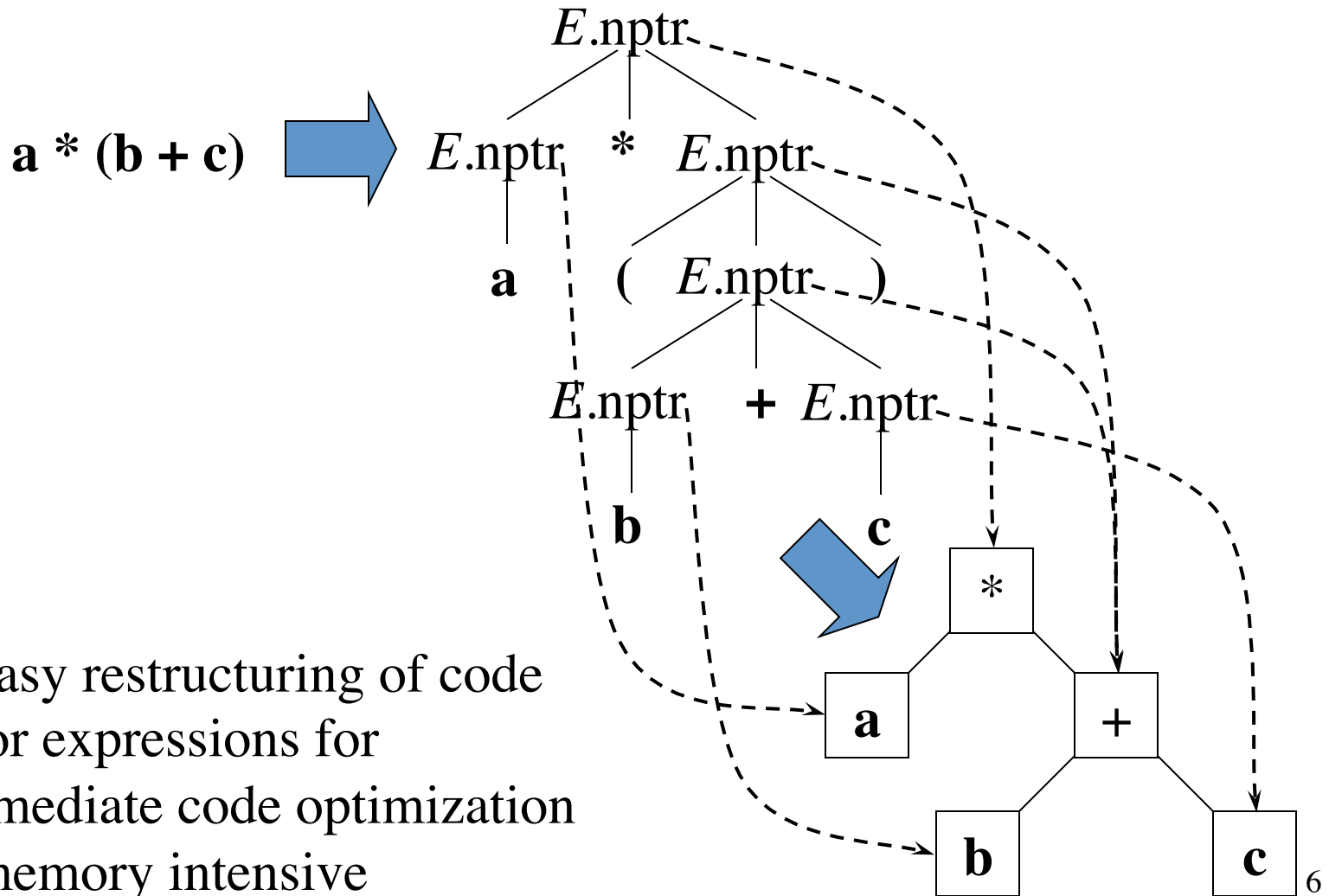
Intermediate Representations

- *Graphical representations* (e.g. AST)
- *Postfix notation*: operations on values stored on operand stack (similar to JVM bytecode)
- *Three-address code*: (e.g. *triples* and *quads*)
 $x := y \text{ op } z$
- *Two-address code*:
 $x := \text{op } y$
which is the same as $x := x \text{ op } y$

Syntax-Directed Translation of Abstract Syntax Trees

Production	Semantic Rule
$S \rightarrow \mathbf{id} := E$	$S.nptr := mknnode(':=' , mkleaf(\mathbf{id}, \mathbf{id}.entry), E.nptr)$
$E \rightarrow E_1 + E_2$	$E.nptr := mknnode('+' , E_1.nptr, E_2.nptr)$
$E \rightarrow E_1 * E_2$	$E.nptr := mknnode('*' , E_1.nptr, E_2.nptr)$
$E \rightarrow - E_1$	$E.nptr := mknnode('uminus' , E_1.nptr)$
$E \rightarrow (E_1)$	$E.nptr := E_1.nptr$
$E \rightarrow \mathbf{id}$	$E.nptr := mkleaf(\mathbf{id}, \mathbf{id}.entry)$

Abstract Syntax Trees

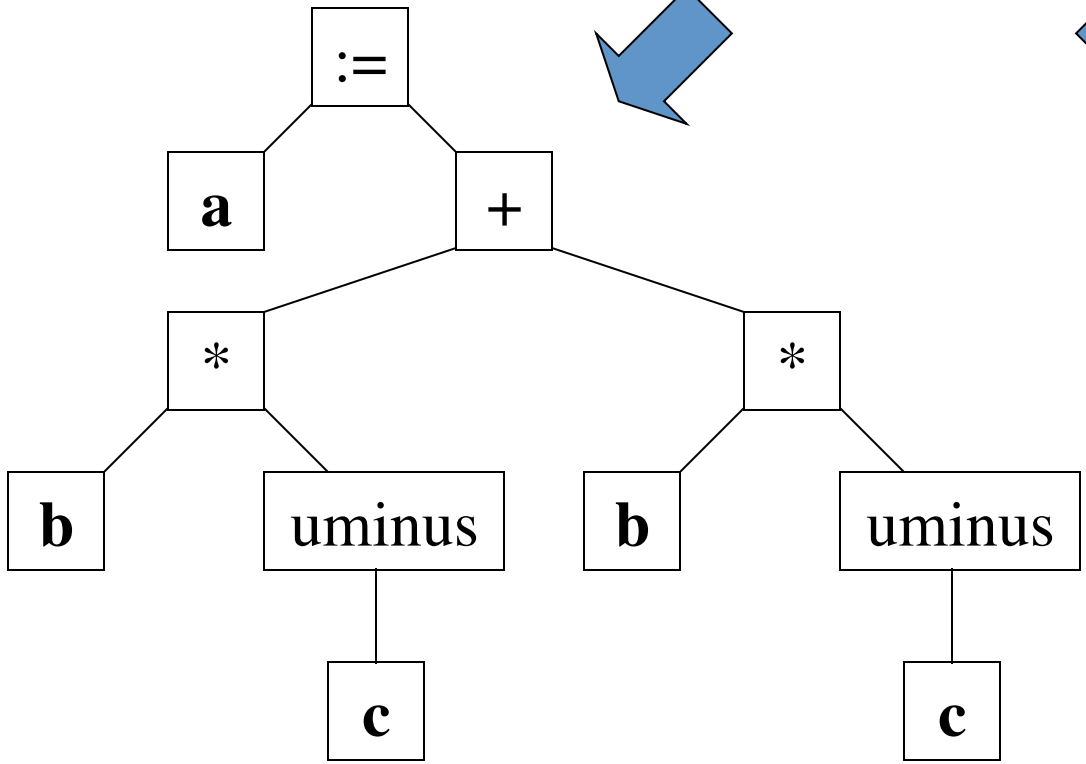


Pro: easy restructuring of code
and/or expressions for
intermediate code optimization

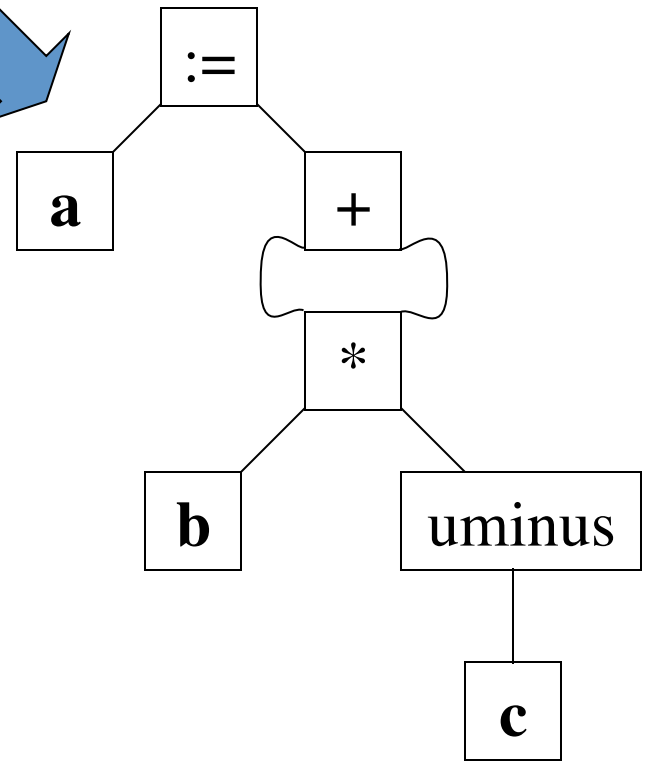
Cons: memory intensive

Abstract Syntax Trees versus DAGs

a := b * -c + b * -c



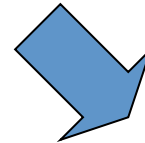
Tree



DAG

Postfix Notation

a := b * -c + b * -c



a b c uminus * b c uminus * + assign

Bytecode (for example)

Postfix notation represents
operations on a stack

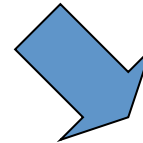
```
iload 2 // push b
iload 3 // push c
ineg // uminus
imul // *
iload 2 // push b
iload 3 // push c
ineg // uminus
imul // *
iadd // +
istore 1 // store a 8
```

Pro: easy to generate

Cons: stack operations are more
difficult to optimize

Three-Address Code

a := b * -c + b * -c



```
t1 := - c
t2 := b * t1
t3 := - c
t4 := b * t3
t5 := t2 + t4
a := t5
```

Linearized representation
of a syntax tree

```
t1 := - c
t2 := b * t1
t5 := t2 + t2
a := t5
```

Linearized representation
of a syntax DAG

Three-Address Statements

“Addresses” are *names, constants or temporaries*

- Assignment statements: $x := y \text{ op } z, x := \text{op } y$
- Indexed assignments: $x := y[i], x[i] := y$
- Pointer assignments: $x := \&y, x := *y, *x := y$
- Copy statements: $x := y$
- Unconditional jumps: **goto** *lab*
- Conditional jumps: **if** $x \text{ relop } y$ **goto** *lab*
- Function calls: **param** $x\dots$; **call** p, n
(or $y = \text{call } p, n$); **return** y

Implementation of Three-Address Statements: Quads

Sample expression

a := b * -c + b * -c

Three-address code

t1 := - c

t2 := b * t1

t3 := - c

t4 := b * t3

t5 := t2 + t4

a := t5

#	Op	Arg1	Arg2	Res
(0)	uminus	c		t1
(1)	*	b	t1	t2
(2)	uminus	c		t3
(3)	*	b	t3	t4
(4)	+	t2	t4	t5
(5)	:=	t5		a

Quads (quadruples)

Pro: easy to rearrange code for global optimization

Cons: lots of temporaries

Implementation of Three-Address Statements: Triples

Sample expression

a := b * -c + b * -c

Three-address code

t1 := - c

t2 := b * t1

t3 := - c

t4 := b * t3

t5 := t2 + t4

a := t5

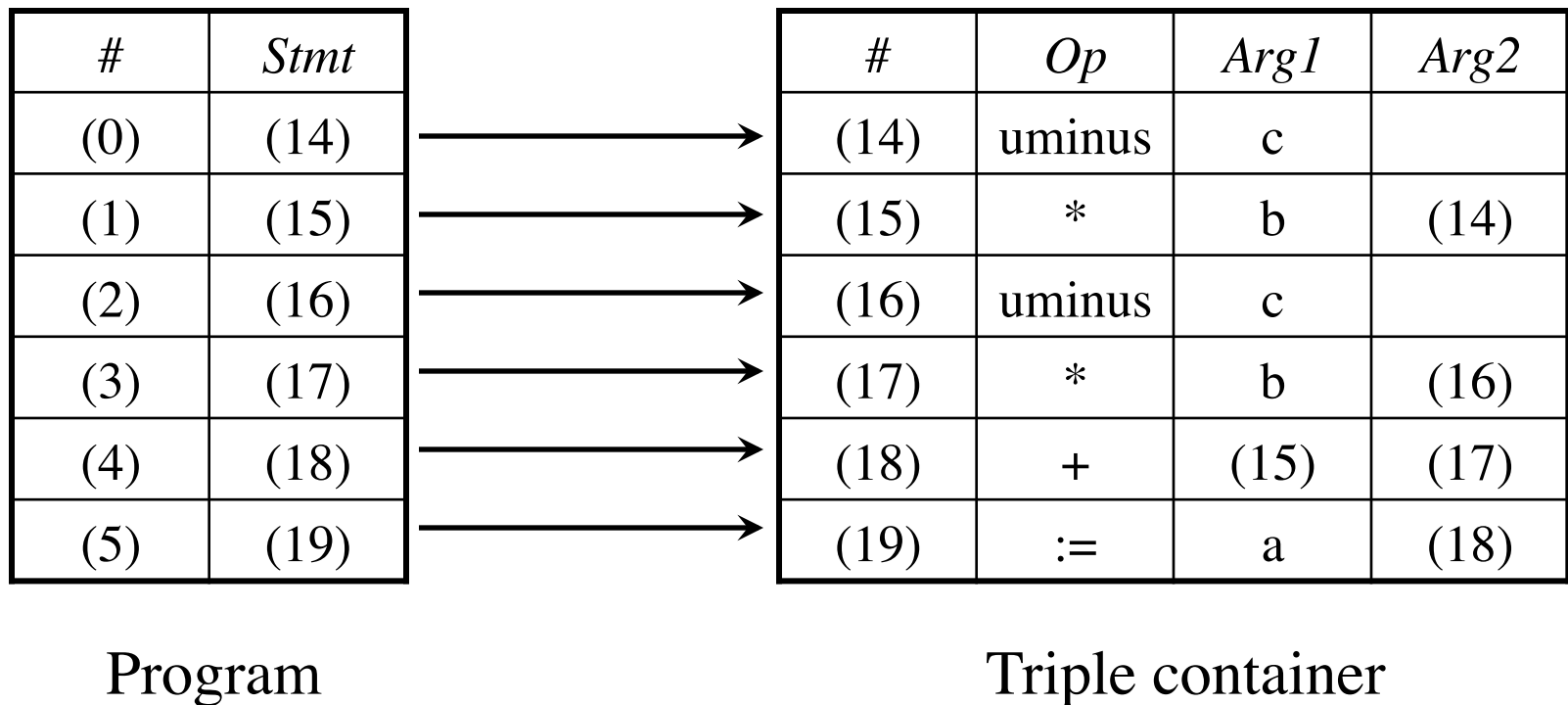
#	Op	Arg1	Arg2
(0)	uminus	c	
(1)	*	b	(0)
(2)	uminus	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	:=	a	(4)

Triples

Pro: temporaries are implicit

Cons: difficult to rearrange code

Implementation of Three-Address Statements: Indirect Triples



Pro: temporaries are implicit & easier to rearrange code

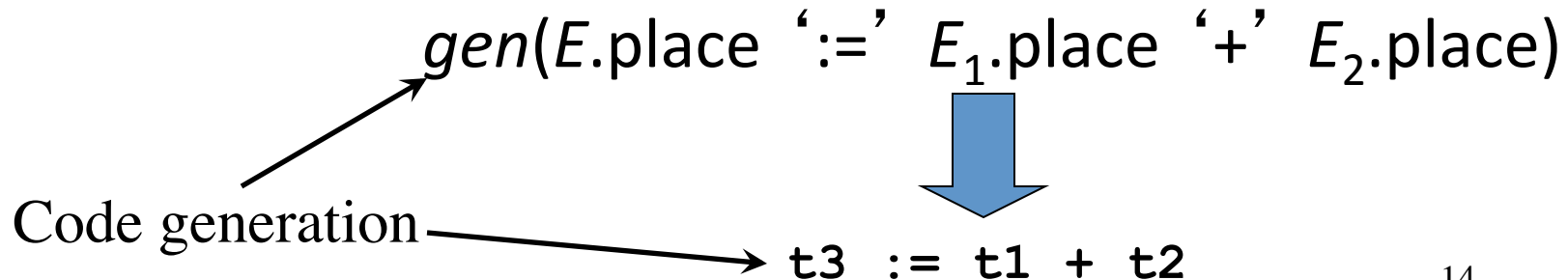
Syntax-Directed Translation into Three-Address Code

Productions

$S \rightarrow \mathbf{id} := E$
| **while** E **do** S
 $E \rightarrow E + E$
| $E * E$
| $- E$
| (E)
| **id**
| **num**

Synthesized attributes:

$S.code$	three-address code for S
$S.begin$	label to start of S or nil
$S.after$	label to end of S or nil
$E.code$	three-address code for E
$E.place$	a name holding the value of E



Syntax-Directed Translation into Three-Address Code (cont' d)

Productions	Semantic rules
$S \rightarrow \mathbf{id} := E$	$S.code := E.code \parallel gen(\mathbf{id}.place \text{ ':=' } E.place); S.begin := S.after := nil$
$S \rightarrow \mathbf{while} E$ $\mathbf{do} S_1$	<i>(see next slide)</i>
$E \rightarrow E_1 + E_2$	$E.place := newtemp();$ $E.code := E_1.code \parallel E_2.code \parallel gen(E.place \text{ ':=' } E_1.place \text{ '+' } E_2.place)$
$E \rightarrow E_1 * E_2$	$E.place := newtemp();$ $E.code := E_1.code \parallel E_2.code \parallel gen(E.place \text{ ':=' } E_1.place \text{ '*' } E_2.place)$
$E \rightarrow - E_1$	$E.place := newtemp();$ $E.code := E_1.code \parallel gen(E.place \text{ ':=' } \text{'uminus'} E_1.place)$
$E \rightarrow (E_1)$	$E.place := E_1.place$ $E.code := E_1.code$
$E \rightarrow \mathbf{id}$	$E.place := \mathbf{id}.name$ $E.code := \text{''}$
$E \rightarrow \mathbf{num}$	$E.place := newtemp();$ $E.code := gen(E.place \text{ ':=' } \mathbf{num}.value)$

Syntax-Directed Translation into Three-Address Code (cont' d)

Production

$S \rightarrow \mathbf{while} E \mathbf{do} S_1$

Semantic rule

$S.begin := newlabel()$

$S.after := newlabel()$

$S.code := gen(S.begin ':') \parallel$

$E.code \parallel$

$gen(\text{'if' } E.place \text{'=' '0' 'goto' } S.after) \parallel$

$S_1.code \parallel$

$gen(\text{'goto' } S.begin) \parallel$

$gen(S.after ':')$

$S.begin:$

$E.code$

$\mathbf{if} E.place = 0 \mathbf{goto} S.after$

$S.code$

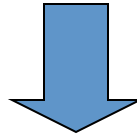
$\mathbf{goto} S.begin$

$S.after:$

...

Example

```
i := 2 * n + k  
while i do  
  i := i - k
```



```
t1 := 2  
t2 := t1 * n  
t3 := t2 + k  
i := t3  
L1: if i = 0 goto L2  
    t4 := i - k  
    i := t4  
    goto L1  
L2:
```

Names and Scopes

- The three-address code generated by the syntax-directed definitions shown is simplistic
- It assumes that the names of variables can be easily resolved by the back-end in global or local variables
- We need local symbol tables to record global declarations as well as local declarations in procedures, blocks, and structs to resolve names

Symbol Tables for Scoping

```
struct S  
{ int a;  
  int b;  
} s;
```

We need a symbol table
for the *fields* of struct S

```
void swap(int& a, int& b)  
{ int t;  
  t = a;  
  a = b;  
  b = t;  
}
```

Need symbol table
for *global* variables
and functions

```
void somefunc()  
{ ...  
  swap(s.a, s.b);  
  ...  
}
```

Need symbol table for *arguments*
and *locals* for each function

Check: **s** is global and has fields **a** and **b**
Using symbol tables we can generate
code to access **s** and its fields

Offset and Width for Runtime Allocation

```
struct S
{ int a;
  int b;
} s;
```

The fields **a** and **b** of struct **S** are located at *offsets* 0 and 4 from the start of **S**

```
void swap(int& a, int& b)
{ int t;
  t = a;
  a = b;
  b = t;
}
```

The *width* of **S** is 8

a	(0)
b	(4)

Subroutine frame holds arguments **a** and **b** and local **t** at *offsets* 0, 4, and 8

Subroutine frame

```
void somefunc()
{ ...
  swap(s.a, s.b);
  ...
}
```

The *width* of the frame is 12

fp[0]=	a	(0)
fp[4]=	b	(4)
fp[8]=	t	(8)

Symbol Tables for Scoping

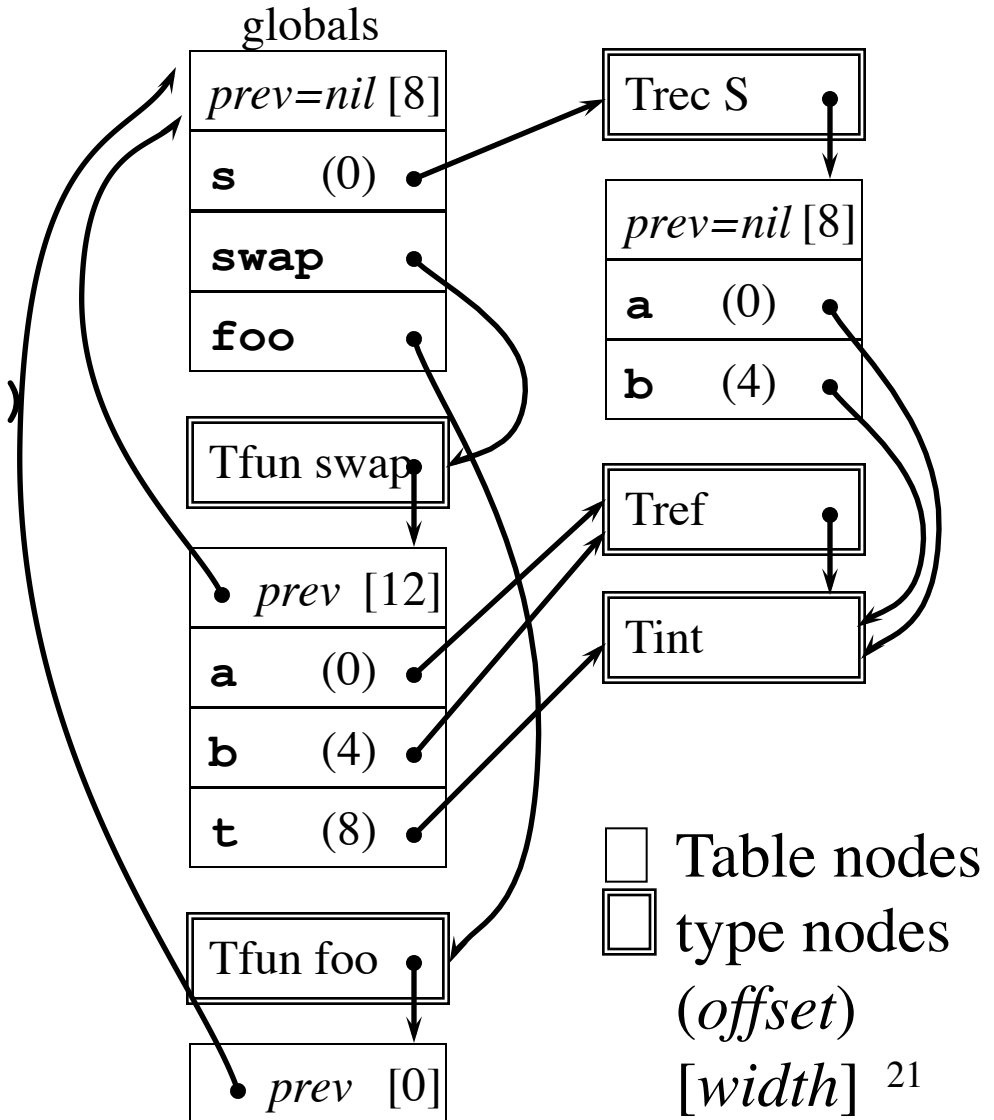
```

struct S
{ int a;
  int b;
} s;

void swap(int& a, int& b)
{ int t;
  t = a;
  a = b;
  b = t;
}

void foo()
{ ...
  swap(s.a, s.b);
  ...
}

```



Hierarchical Symbol Table Operations

- *mktable(previous)* returns a pointer to a new (empty) table that is linked to a previous table in the outer scope
- *enter(table, name, type, offset)* creates a new entry in *table*
- *addwidth(table, width)* accumulates the total width of all entries in *table*
- *enterproc(table, name, newtable)* creates a new entry in *table* for procedure with local scope *newtable*
- *lookup(table, name)* returns a pointer to the entry in the table for *name* by following linked tables

Syntax-Directed Translation of Declarations in Scope

Productions

$P \rightarrow D ; S$

$D \rightarrow D ; D$

| **id** : T

| **proc** **id** ; D ; S

$T \rightarrow$ **integer**

| **real**

| **array** [**num**] **of** T

| $\wedge T$

| **record** D **end**

$S \rightarrow S ; S$

| **id** := E

| **call** **id** (A)

Productions (*cont'd*)

$E \rightarrow E + E$

| $E * E$

| $- E$

| (E)

| **id**

| $E \wedge$

| **&** E

| $E . \mathbf{id}$

$A \rightarrow A , E$

| E

Synthesized attributes:

$T.type$ pointer to type

$T.width$ storage width of type (bytes)

$E.place$ name of temp holding value of E

Global data to implement scoping:

$tblptr$ stack of pointers to tables

$offset$ stack of offset values

Syntax-Directed Translation of Declarations in Scope (cont'd)

$P \rightarrow \{ t := mktable(nil); push(t, tblptr); push(0, offset) \}$
 $D; S$

$D \rightarrow \mathbf{id} : T$
 $\{ enter(top(tblptr), \mathbf{id}.name, T.type, top(offset));$
 $top(offset) := top(offset) + T.width \}$

$D \rightarrow \mathbf{proc id};$
 $\{ t := mktable(top(tblptr)); push(t, tblptr); push(0, offset) \}$
 $D_1; S$
 $\{ t := top(tblptr); addwidth(t, top(offset));$
 $pop(tblptr); pop(offset);$
 $enterproc(top(tblptr), \mathbf{id}.name, t) \}$

$D \rightarrow D_1; D_2$

Syntax-Directed Translation of Declarations in Scope (cont'd)

$T \rightarrow \mathbf{integer} \quad \{ T.type := 'integer'; T.width := 4 \}$

$T \rightarrow \mathbf{real} \quad \{ T.type := 'real'; T.width := 8 \}$

$T \rightarrow \mathbf{array} [\mathbf{num}] \mathbf{of} T_1$
 $\{ T.type := array(\mathbf{num.val}, T_1.type);$
 $T.width := \mathbf{num.val} * T_1.width \}$

$T \rightarrow \mathbf{\wedge} T_1$
 $\{ T.type := pointer(T_1.type); T.width := 4 \}$

$T \rightarrow \mathbf{record}$
 $\{ t := mktable(nil); push(t, tblptr); push(0, offset) \}$
 $D \mathbf{end}$
 $\{ T.type := record(top(tblptr)); T.width := top(offset);$
 $addwidth(top(tblptr), top(offset)); pop(tblptr); pop(offset) \}$

Example

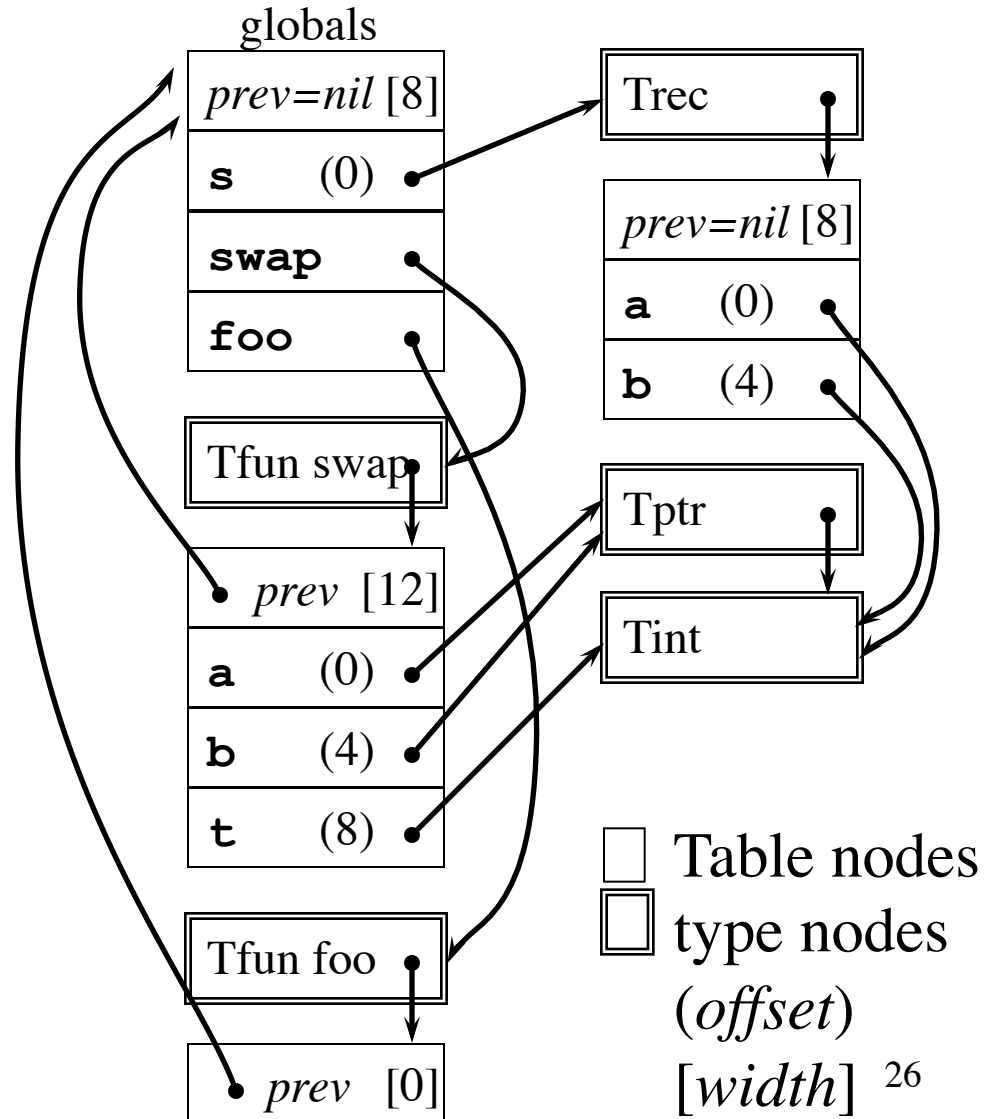
```

s: record
  a: integer;
  b: integer;
end;

proc swap;
  a: ^integer;
  b: ^integer;
  t: integer;
  t := a^;
  a^ := b^;
  b^ := t;
end;

proc foo;
  call swap(&s.a, &s.b);
end;

```



Syntax-Directed Translation of Statements in Scope

$S \rightarrow S ; S$

$S \rightarrow \mathbf{id} := E$

{ p := lookup(top(tblptr), id.name);

if p = nil then

error()

else if p.level = 0 then // global variable

emit(id.place ‘:=’ E.place)

else // local variable in subroutine frame

emit(fp[p.offset] ‘:=’ E.place) }

Globals

s	(0)
x	(8)
y	(12)

Subroutine
frame

fp[0]=	a	(0)
fp[4]=	b	(4)
fp[8]=	t	(8)

...

Syntax-Directed Translation of Expressions in Scope

$E \rightarrow E_1 + E_2$ { $E.place := newtemp()$;
 $emit(E.place := E_1.place + E_2.place)$ }

$E \rightarrow E_1 * E_2$ { $E.place := newtemp()$;
 $emit(E.place := E_1.place * E_2.place)$ }

$E \rightarrow - E_1$ { $E.place := newtemp()$;
 $emit(E.place := 'uminus' E_1.place)$ }

$E \rightarrow (E_1)$ { $E.place := E_1.place$ }

$E \rightarrow id$ { $p := lookup(top(tblptr), id.name)$;
 if $p = nil$ **then** $error()$
 else if $p.level = 0$ **then** // *global variable*
 $emit(E.place := id.place)$
 else // *local variable in frame*
 $emit(E.place := fp[p.offset])$ }

Syntax-Directed Translation of Expressions in Scope (cont'd)

```
 $E \rightarrow E_1 \wedge$  {  $E.place := newtemp()$ ;  
                   $emit(E.place := * E_1.place)$  }  
 $E \rightarrow \& E_1$  {  $E.place := newtemp()$ ;  
                   $emit(E.place := \& E_1.place)$  }  
 $E \rightarrow id_1 . id_2$  {  $p := lookup(top(tblptr), id_1.name)$ ;  
                  if  $p = nil$  or  $p.type \neq Trec$  then  $error()$   
                  else  
                     $q := lookup(p.type.table, id_2.name)$ ;  
                    if  $q = nil$  then  $error()$   
                    else if  $p.level = 0$  then // global variable  
                                   $emit(E.place := id_1.place[q.offset])$   
                    else // local variable in frame  
                                   $emit(E.place := fp[p.offset+q.offset] )$  }
```