



Detecting Replay Attacks by Freshness Annotations

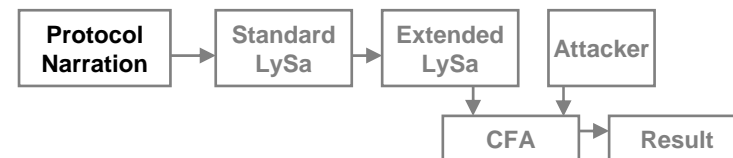
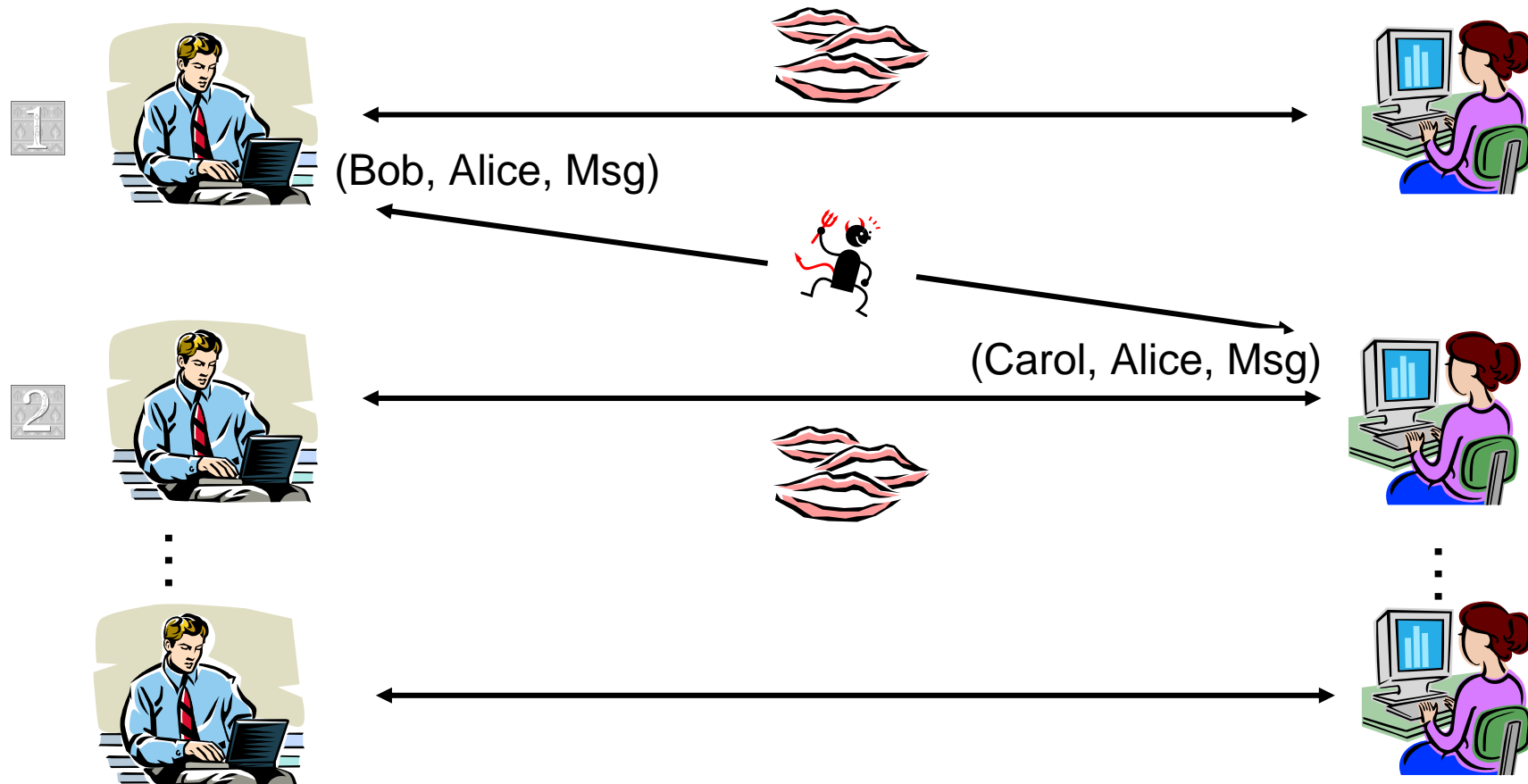
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Chiara Bodei², Hanne Riis Nielson¹

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University of Denmark¹

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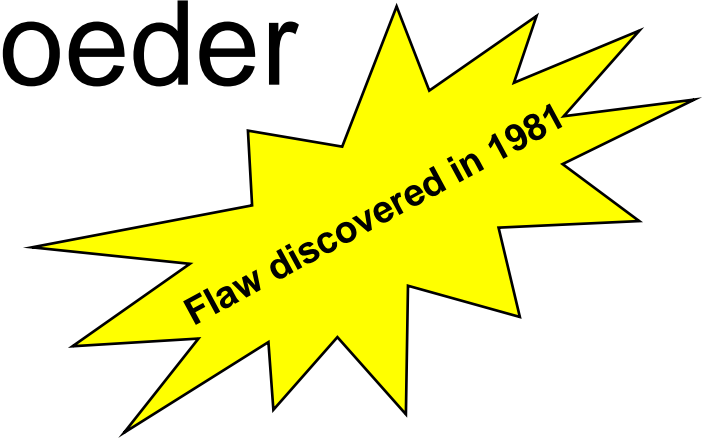
Replay Attacks in Protocols





Needham-Schroeder

- Invented in 1978



1. $A \rightarrow S : A, B, N_a$
2. $S \rightarrow A : \{N_a, B, K, \{K, A\}_{K_b}\}_{K_a}$
3. $A \rightarrow B : \{A, K\}_{K_b}$
4. $B \rightarrow A : \{N_b\}_K$
5. $A \rightarrow B : \{N_b - 1\}_K$
6. $A \rightarrow B : \{Msg\}_K$

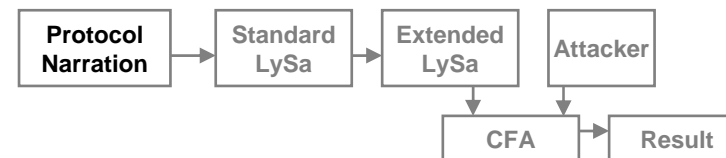
Key distribution steps:

The key should be known to both A and B

Authentication steps:

A and B make sure that they both know the key

Message exchange step





Needham-Schroeder

• The Denning-Sacco Attack

An old session
key K' is leaked

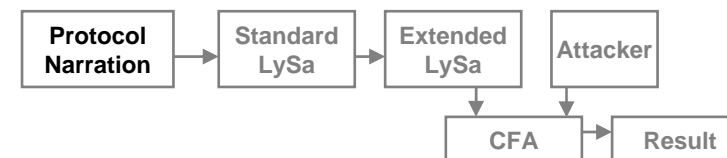
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1. ...
2. ...
3. $M(A) \rightarrow B : \{A, K'\}_{K_b}$
4. $B \rightarrow M(A) : \{N_b\}_{K'}$
5. $M(A) \rightarrow B : \{N_b - 1\}_{K'}$
6. $M(A) \rightarrow B : \{Msg\}_{K'}$

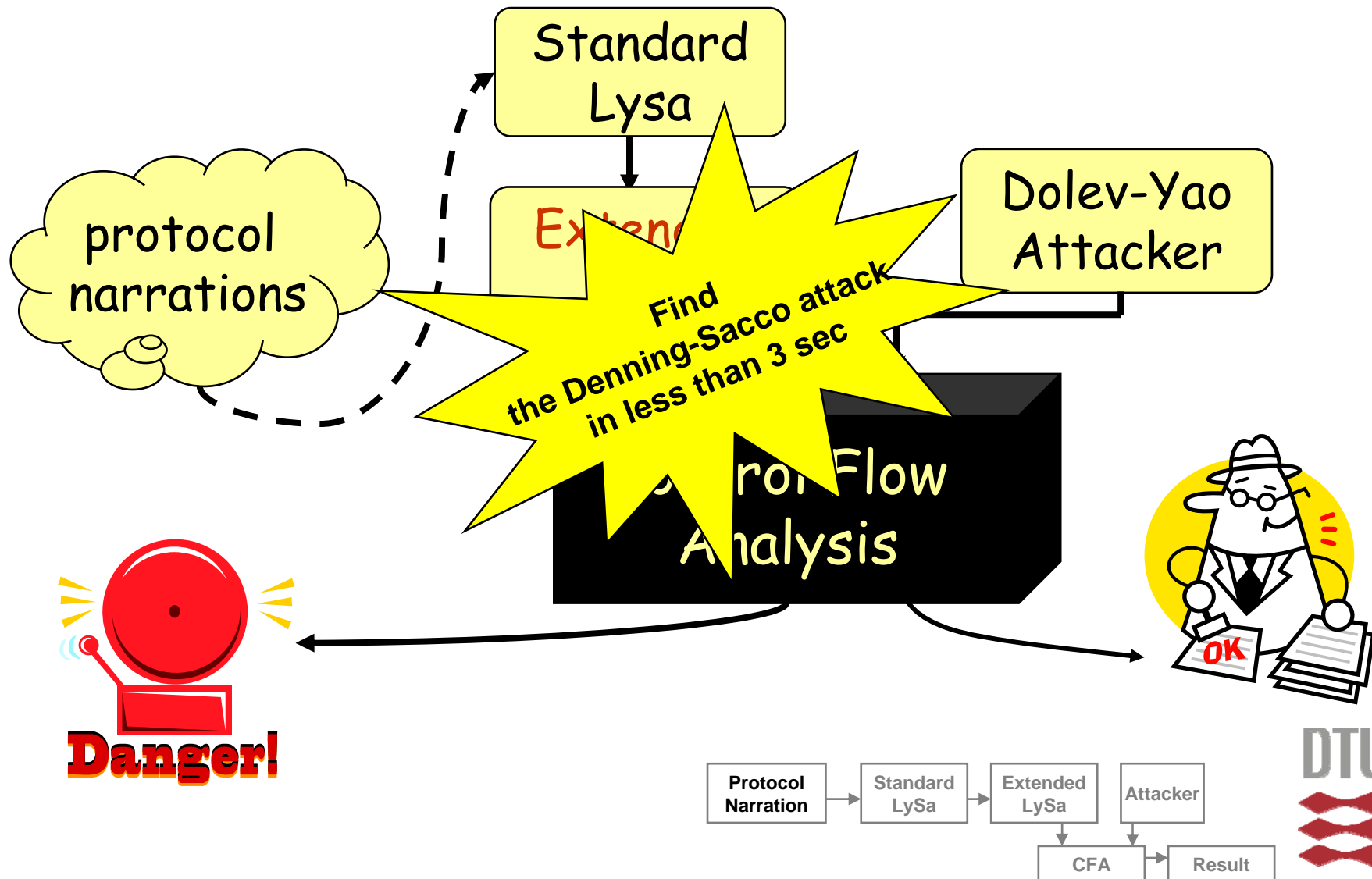
A is convinced that K is fresh

B believes he is talking to A!

No such guarantee
for B



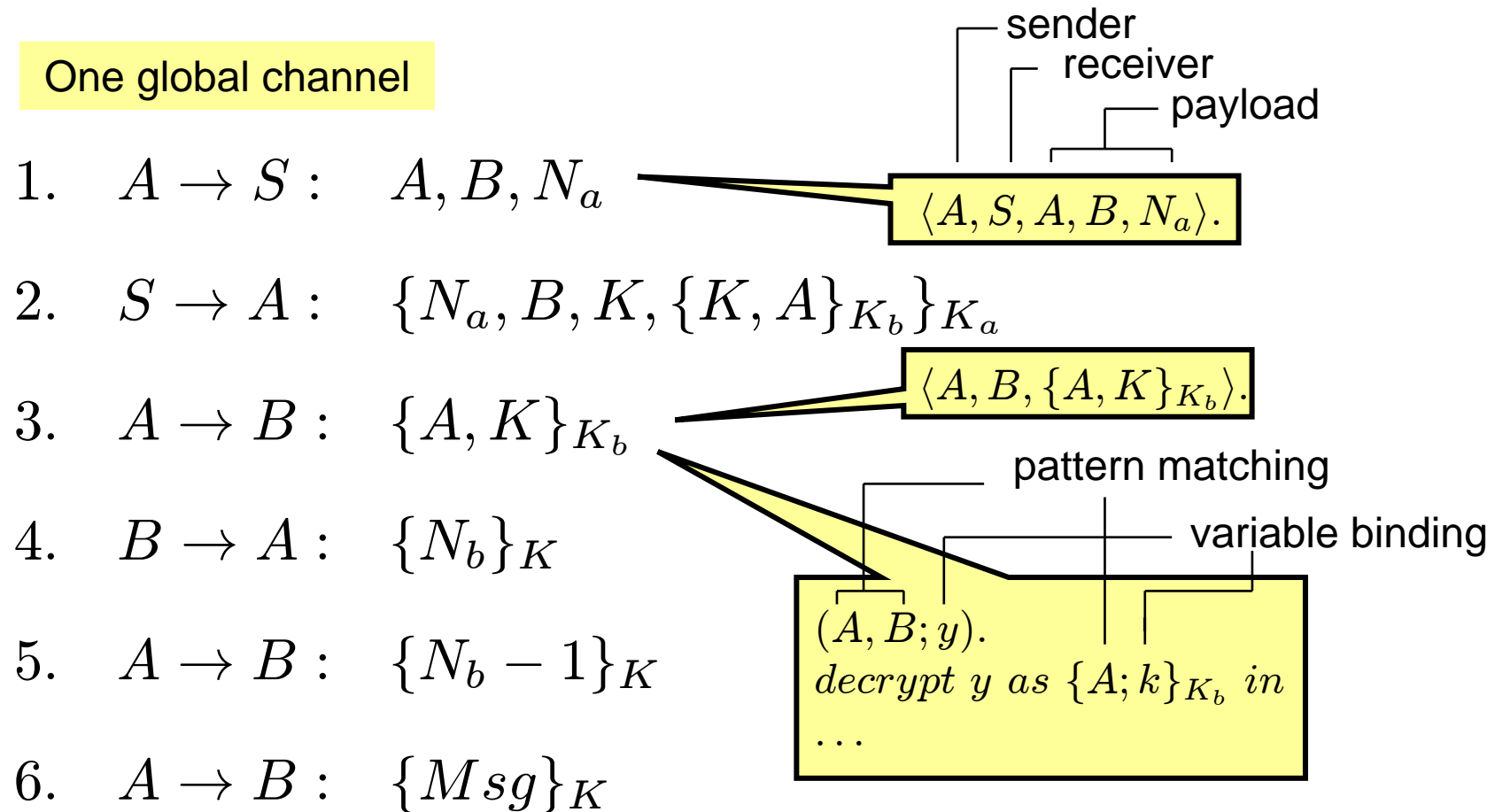
Whole Picture



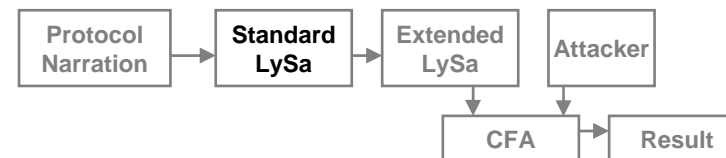


LySa Calculus

One global channel

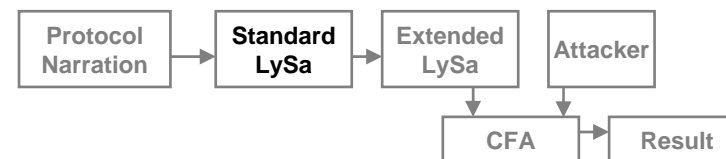
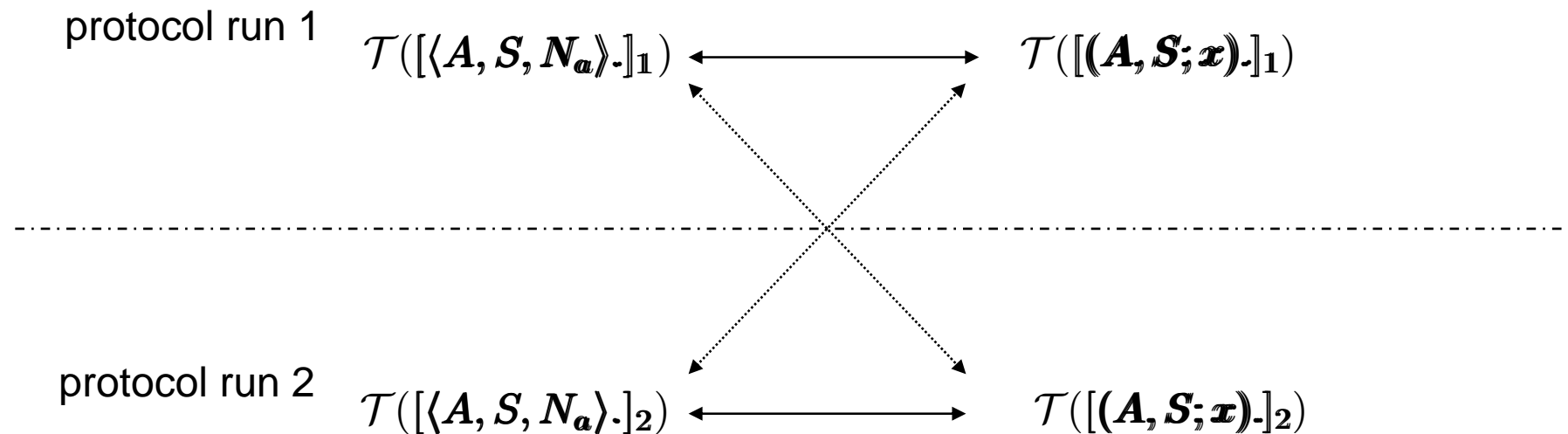


$$P = P_A \mid P_B \mid P_S$$



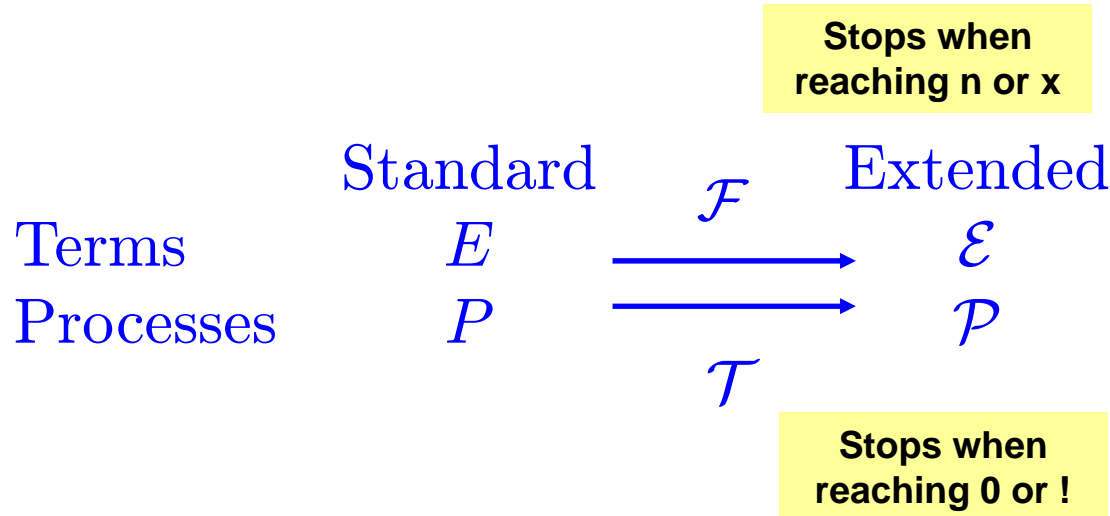


Session Identifiers





Extended LySa Calculus



$$\mathcal{F}([\{N\}_K]_s) = \{[N]_s\}_{[K]_s}$$

$$\begin{aligned} \mathcal{T}([\langle N \rangle.0 \mid !((;x).0)]_s) &= \\ \mathcal{T}([\langle N \rangle.0]_s) \mid \mathcal{T}([!((;x).0)]_s) &= \\ \langle [N_s] \rangle.0 \mid [!((;x).0)]_s \end{aligned}$$

1. $A \rightarrow S : A, B, N_a$ $\langle A, S, A, B, N_a \rangle.$

2. $S \rightarrow A : \{N_a, B, K, \{K, A\}_{K_b}\}_{K_a}$

3. $A \rightarrow B : \{A, K\}_{K_b}$ $\langle A, B, \{A, K\}_{K_b} \rangle.$

4. $B \rightarrow A : \{N_b\}_K$

5. $A \rightarrow B : \{N_b - 1\}_K$

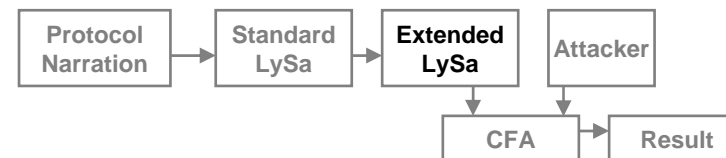
6. $A \rightarrow B : \{Msg\}_K$

$(A, B; y).$
decrypt y as $\{A; k\}_{K_b}$ in
...

$$P = P_A \mid P_B \mid P_S$$

$$\mathcal{P} = [!P]_0$$

Unfold once in each semantics step



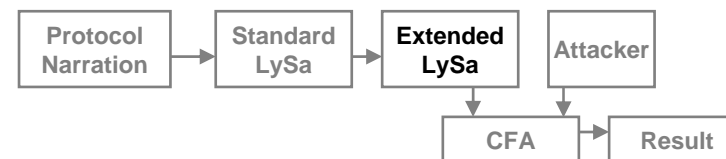
Freshness Property

$$\begin{array}{c}
 \text{Equality with sessin IDs} \\
 \text{ingnored} \\
 \mathcal{E}_0 \approx \mathcal{E}'_0 \wedge \mathcal{E}_1 \approx \mathcal{E}'_1 \wedge \mathcal{R}((\mathcal{I}(\mathcal{E}_0), \mathcal{I}(\mathcal{E}'_0)), (\mathcal{I}(\mathcal{E}_1), \mathcal{I}(\mathcal{E}'_1))) \\
 \hline
 \text{decrypt } [\{\mathcal{E}_1, \mathcal{E}_2\}_{\mathcal{E}_0}]_s \text{ as } \{\mathcal{E}'_1; x_2\}_{\mathcal{E}'_0} \text{ in } \mathcal{P} \xrightarrow{\{\mathcal{E}_1, \mathcal{E}_2\}_{\mathcal{E}_0} \rightarrow \mathcal{R}} \mathcal{P}[\mathcal{E}_2/x_2]
 \end{array}$$

decrypt $\{[N_a]_1, [N_b]_1\}_{[K]_1}$ as $\{[N_a]_1; x\}_{[K]_1}$ in 0

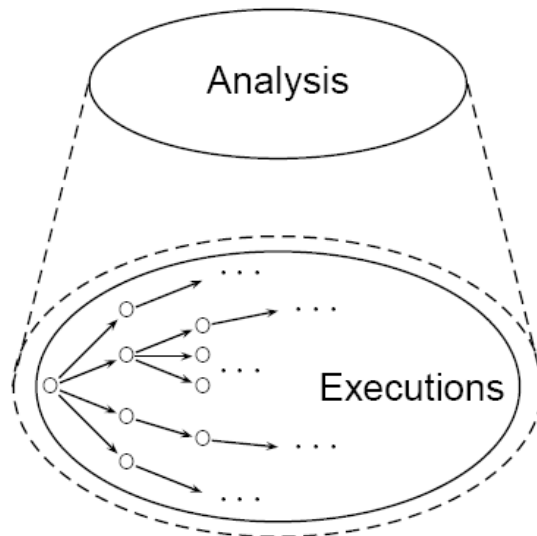


decrypt $\{[N_a]_2, [N_b]_2\}_{[K]_2}$ as $\{[N_a]_1; x\}_{[K]_1}$ in 0

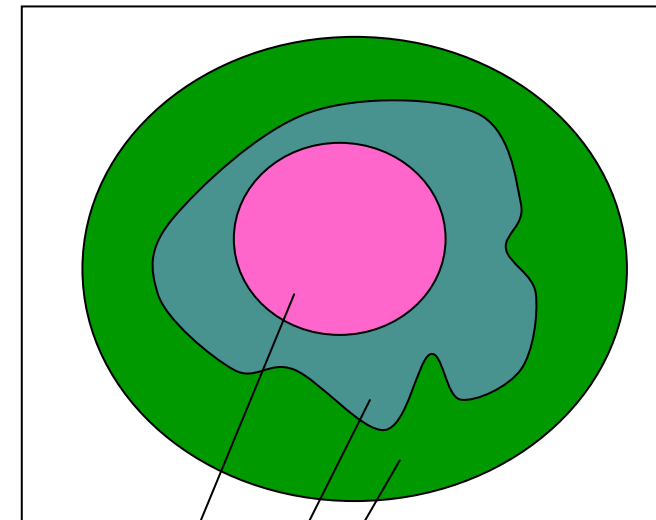


Static Analysis

- Approximation
 - Over-Approximation
- Algorithms
 - Control Flow Analysis



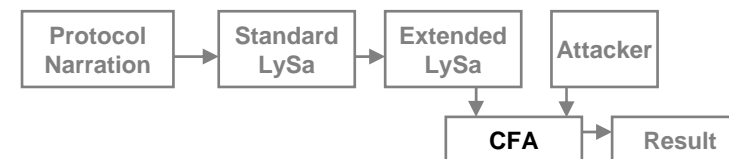
All possible solutions



Under-approximation

Actual Solution

Over-approximation

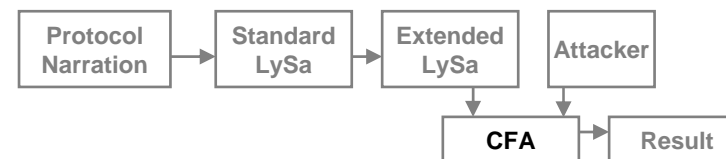




Static Analysis

- Analysis of Terms $\rho \models \mathcal{E} : \vartheta$
 - Determine the possible values that each term may evaluate to
- Analysis of Processes $\rho, \kappa \models_{\text{RM}} \mathcal{P} : \psi$
 - Collect the values that may flow on the network
 - Error component

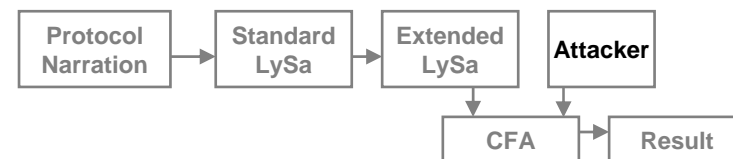
$$\frac{\text{analysis}(\mathcal{T}([P]_0)) \mid \text{analysis}(\mathcal{T}([P]_1))}{\text{analysis}(\mathcal{P})}$$





The Attacker

- Capabilities
 - Eavesdrop
 - Alter
 - Insider or outsider or both
 - Obtain old session keys





Analysis of Needham-Schroeder

1. $A \rightarrow S : A, B, N_a$
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$$P = P_A \mid P_B \mid P_S$$

$$\mathcal{P} = [!P]_0$$

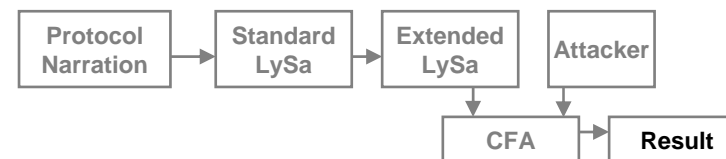
$\langle A, B, \{A, K\}_{K_b} \rangle.$

$(A, B; y).$
decrypt y as $\{A; k\}_{K_b}$ in
 ...

$$\frac{\text{analysis}(\mathcal{T}([P]_0)) \mid \text{analysis}(\mathcal{T}([P]_1))}{\text{analysis}(\mathcal{P})}$$

Session 0 $\mathcal{T}([\langle A, B, \{A, K\}_{K_b} \rangle]_0) \longrightarrow \mathcal{T}([(A, B, y). \text{decrypt } y \text{ as } \{A; k\}_{K_b} \text{ in}]_0)$

Session 1 $\mathcal{T}([\langle A, B, \{A, K\}_{K_b} \rangle]_1) \longrightarrow \mathcal{T}([(A, B, y). \text{decrypt } y \text{ as } \{A; k\}_{K_b} \text{ in}]_1)$





Conclusion

- Simply process calculus with cryptographic primitives for modelling security protocols
- Automatic algorithm for providing security assurances for protocols
 - Semantics correct and sound
- Implementation has been used to validate a number of protocols



Thank You!