

**Laurea Magistrale in INFORMATICA**  
**Principi di Linguaggi di Programmazione**  
**Compiler Techniques**

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Regular Exam V - July 18<sup>th</sup> 2014

(Available Time: 2 hours. Mandatory: In each exercise get at least, one half of the assigned points)

**Exercise 1 (pts 10).** Let  $E1 = ((b \mid a) c^*)^*$  and  $E2 = (a \mid b \mid c)^*$ .

- a) Using dotted automata, provide a proof of the equivalence of  $E1$  and  $E2$ ;
- b) Apply to  $E1$ , the method for transforming DFSA into right-linear grammars.
- c) Show the LL(1) parsing table of the grammar You obtain in (b).

**Exercise 2 (pts 10).** Let  $L$  be the following language:

$$L = \{a^{n_1} c \dots a^{n_k} c b^m d^{n-m} \mid k \geq 1, n = n_1 + \dots + n_k, (\forall i: 1 \leq i \leq k) n_i > 0\}$$

- (a) Provide a LR grammar  $G$  for  $L$ ;
- (b) Provide the collection  $\text{Coll}(1)$  of  $G$
- (c) Looking at the collection, answer:  
[1] is  $G$  an LR(1) grammar?  
[2] is  $G$  a LALR(1) grammar?  
[3] is  $G$  a SLR(1) grammar.

**Exercise 3 (pts 10).** Extend the language "Semplice" with the multiple assignment defined below

$\text{Cmd} ::= \text{MUpd}$   
 $\text{MUpd} ::= \text{Ide IdeList} := \text{Exp ExpList}$   
 $\text{IdeList} ::= , \text{Ide IdeList} \mid \epsilon$   
 $\text{Exp} ::= , \text{Exp ExpList} \mid \epsilon$

Multiple assignement requires that the number of the identifiers on the left hand of  $:=$  is the same of the number of expression on the right hand. Moreover, it behaves like any arbitrary sequence of assignments " $\text{ide}_i := \text{exp}_i$ " where  $1 \leq i \leq n$ ,  $\text{ide}_i$  (resp.  $\text{exp}_i$ ) is the  $i$ -th identifier (resp. expression) of the list on the left (resp. right) hand of  $:=$ .

- 1) Provide a translation scheme of the productions above, with attributes that:
  - a) check whether or not the requirement on the size of the lists is satisfied;
  - b) produce, by side-effects, the 3AC code of the multiple;
- 2) Apply the translation in 1.b) to the multiple assignment:  
 $x, y := 10, x+y$   
and show the generated 3AC code.