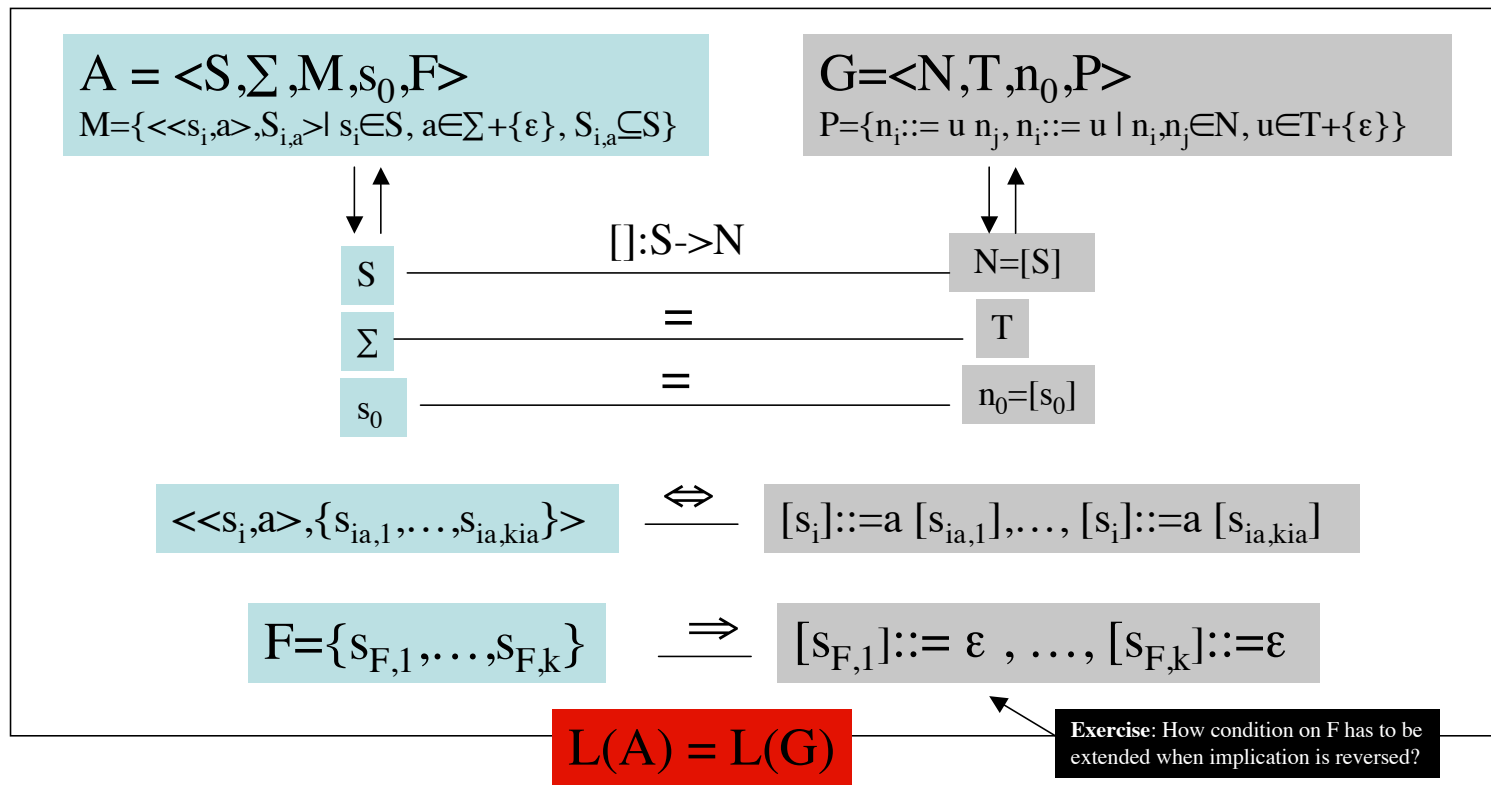


Regular Languages and Automata

- **Each Automaton defines a Regular Language:**
 - proved by the semantics given before and by the 3-step transformation
Automata map into Linear Grammars map into Regular Grammars
- (conversely) **Each Regular Language has an Automaton that defines it?**
 - Automata (FSA) ?
 - proved by Thompson's construction
 - Deterministic Automata (DFA) ?
 - proved by the equivalence $NFA \approx DFA \approx FSA$

On The Equivalence FSA and L-Grammars (right)



Exercise: How condition on F has to be extended when implication is reversed?

Consider the grammar:

$S ::= a B$
 $B ::= a C \mid d$
 $C ::= b B$

Compare it with:

Consider the grammar:

$S ::= a B$
 $B ::= a C \mid d D$
 $C ::= b B$
 $D ::= \epsilon$

Then: We can require a preliminary transformation from Linear to the subclass of Strongly Linear (i.e. productions have the form: Either $n_i ::= u n_j$, or $n_i ::= \epsilon$)

