

Static (Semantic) Analysis

(Third) Last Step of Compiler Front-End

**Compositional and Contextual
Property Analysis**

Compositional and Contextual Property Analysis

- **Main Properties:**
 - Uniqueness
 - Well formed (control) Structures
 - Correlated Occurrences
- **Types:**
 - Type Systems
 - Type Checking
 - Type Inference

Uniqueness - Control Structure

Uniqueness

- no name collision (for instance, in a block, or definition..)

Well Formed Structures

- Checkings for correct use of construct compositions:
 - in C, *break* may only, occur inside blocks;
 - in Java, no *hiding variable* is permitted in blocks
 - in Java, classes implementing interface must contain definitions for the interface methods
 - in Pascal, the *for-block* cannot modify *for-index*
 - Expressions used as *by-reference* parameters must have *l-values*
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Correlated Occurrences

Correlated Occurrences

- Specific Checkings for the correct use of the constructs:
 - A *declared identifier* must occur in some use
 - In many languages, a used identifier must be declared with the right scope.
 - in Pascal, the *function body* must contain an assignment to the function name;
 - In C, non-void procedure bodies must contains *return exp*

Types

Are a Special Kind of Terms that:

- *are assigned* to the program structures
- *are fundamental for classifying* program structures with the aim of:
 - studying (semantic) correctness of the structure use
 - preventing run-time errors
 - allow code optimizations at compile/run-time
- *are expressed* by a suitable set of expressions:
 - called **Type Expressions** and
 - are obeying the laws of a specific system, called **Type System**

Applications

- Selection of the Grammar G
- Examples of *correlated occurrences* for $L(G)$
- Example of Type System and Type Checking

The Grammar

Declarations-Commands

The Imperative Language Simple

[0]**Program**= **Declaration Commands** | [1]**Commands**

[2]**D**::= **ide O** **Otheridentifiers** ;

[3]**O**::= **ide O** | [4] ϵ

*x, y; x := y + 1, y := x * 2;*

[5]**Cs**::= **Command ; Cs** | [6] ϵ

[7]**C**::= **Assign** | [8] **While**

[9]**A**::= **ide := Expression**

[10]**W**::= **while E do C Cs endwhile**

The Grammar Expressions

[11] $E ::= F E'$

[12] $E' ::= \text{op-lower } F E' \mid [13] \ \varepsilon$

[14] $F ::= \text{Term } F'$

[15] $F' ::= \text{op-high } T F' \mid [16] \ \varepsilon$

[17] $T ::= \text{num} \mid [18] \ \text{ide} \mid [19] \ (E)$

Correlated Occurrences

- 1) All the used identifiers are correctly declared
- 2) All the declared identifiers are used
- 3) All the variables have an assigned value before the use
- 4) Iterator guard expressions have type boolean

All the used identifiers are correctly declared

Choice of the attributes

Attribute Plan: names and properties of the attributes

u: - set of the used identifiers
- synthesized of $S_u = \{C_s, C, A, W, E, E', F, F', T\}$
- $\forall X \in S_u, X.u = I$ iff $X \Rightarrow^* \alpha = \alpha_1 \dots \alpha_n \in \Sigma^*$ and if $\alpha_i = \text{ide}$ then $\alpha_i.\text{lexeme} \in I$

d: - set of the declared identifiers -
- synthesized of $S_d = \{D, O\}$
- ...

r: - set inclusion of the used into the declared ones
- synthesized of $\{P\}$
- $r = u \leq d$

Values and auxiliary functions that are used in the actions

Set are handled by list with the following operations

cons: ide X ide-list --> ide-list

emptylist: --> ide-list

append: ide-list X ide-list --> ide-list

included: ide-list X ide-list --> boolean

isempty: ide-list --> boolean

[0] P ::= D Cs ,	P.r ::= include(Cs.u , D.d)
[1] P ::= Cs	P.r ::= isempty(Cs.u)
[2] D ::= var ide O	D.d ::= cons(ide.lexeme , O.d)
[3] O1 ::= , ide O2	O1.d ::= cons(ide.lexeme , O2.d)
[4] O ::= ϵ	O.d ::= emptylist
[5] Cs1 ::= ; C Cs2	Cs1.u ::= app(C.u , Cs2.u)
[6] Cs ::= ϵ	Cs.u ::= emptylist
[7] C ::= A	C.u ::= A.u
[8] C ::= W	C.u ::= W.u
[9] A ::= ide := E	A.u ::= cons(ide.lexeme , E.u)
[10] W ::= while E do C Cs edw	W.u ::= app(E.u , app(C.u , Cs.u))
[11] E ::= F E'	E.u ::= app(F.u , E'.u)
[12] E'1 ::= op-l F E'2	E'1.u ::= app(F.u , E'2.u)
[13] E ::= ϵ	E.u ::= emptylist
[14] F ::= T F'	F.u ::= app(T.u , F'.u)
[15] F'1 ::= op-high T F'2	F'1.u ::= app(T.u , F'2.u)
[16] F' ::= ϵ	F'.u ::= emptylist
[17] T ::= num	T.u ::= emptylist
[18] T ::= ide	T.u ::= cons(ide.lexeme , emptylist)
[19] T ::= (E)	T.u ::= E.u

E'::= ϵ

[ide.lexeme]

All the variables are correctly initialized before the use

uIn: - set of the variables that have been assigned to, in the sequence that precedes the current statement
- **inherited of** $S_u = \{C_s, C, A, W, E, E', F, F', T\}$
-

uOut: - set of the variables assigned to, in the sequence ended by the current statement
- **synthesized of** $S_d = \{C_s, C, A, W, E, E', F, F', T\}$
-

F: - predicate that holds if the used ave been previously assigned to
- **synthesized of all the program structures, but declarations, $\{P, C, C_s, A, W, E, E', \dots\}$**
- ...

Values and auxiliary functions that are used in the actions

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append: ide-list X ide-list --> ide-list

included: ide-list X ide-list --> boolean

isempty: ide-list --> boolean

Try to do it yourself +
then compare your solution
with the one in the next
slide.

[0] P ::= D Cs	P.r := Cs.r , Cs.uin :=emptylist
[1] P ::= Cs	P.r := Cs.r , Cs.uin :=emptylist
[2] D ::= var ide O [3] O ₁ ::= , ide O ₂ [4] O ::=ε	?
[5] Cs ₁ ::= ; C Cs ₂	Cs ₁ .r:=(C.r & Cs ₂ .r), C.uin := Cs ₁ .uin Cs ₁ .uout:= Cs ₂ .uout, Cs ₂ .uin:= C.uout
[6] Cs ::= ε	Cs.r := true, Cs.uout := Cs.uin
[7] C ::= A	C.r := A.r , A.uin := C.uin , C.uout := A.uout
[8] C ::= W	C.r := W.r , W.uin := C.uin , C.uout := W.out
[9] A ::= ide := E	A.r := E.r , E.uin := A.uin , A.uout :=cons(ide.lexeme , A.uin)
[10] W ::= while E do C endw	W.r := (E.r & C.r), E.uin := W.uin , C.uin := W.uin , W.uout := C.uout
[11] E ::= F E'	E.r := (F.r & E'.r), F.uin := E.uin , E'.uin := E.uin ,
[12] E' ₁ ::= op-l F E' ₂ [13] E ::= ε [14] F ::= T F' [15] F' ₁ ::= op-h T F' ₂	?
[16] F' ::= ε	F'.r := true
[17] T ::= num	T.r := true
[18] T ::= ide	T.r := isin(ide.lexeme , T.uin)
[19] T ::= (E)	T.r := E.r , E.uin := T.uin

C.uout = emptylist

W.uout = W.uin

To Be Completed

Type Expressions

1) Basic (or Atomic) Types

real, int, char, file, unit

2) *Type Constructors for Derived Types*

array: $I \times T \rightarrow \text{array}(I, T)$

product: $T_1 \times T_2 \rightarrow T_1 \times T_2$

record: $(\{i_1\} \times T_1) \times \dots \times (\{i_k\} \times T_k) \rightarrow \text{record}(i_1:T_1 \dots i_k:T_k)$

enumerated: $\{v_1, \dots, v_k\} \rightarrow (v_1, \dots, v_k)$

pointer: $T \rightarrow \text{pointer}(T)$

function: $TD \times TC \rightarrow TD \rightarrow TC$

procedure: $TD \rightarrow TD \rightarrow \text{unit}$

3) Type Identifier (for naming)

4) Type Variables (for polymorphic types)