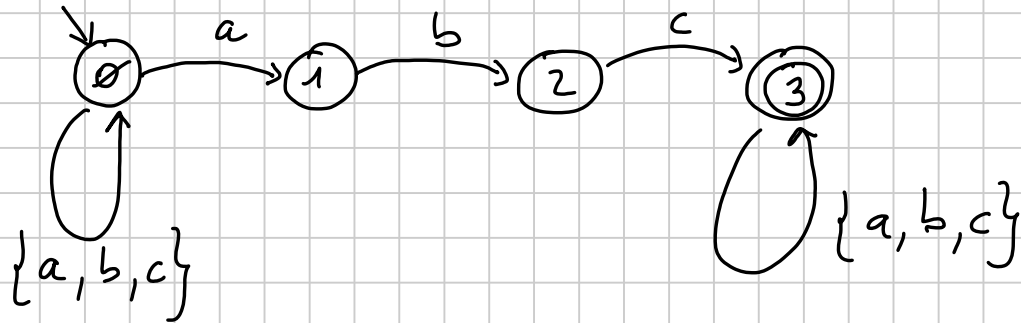
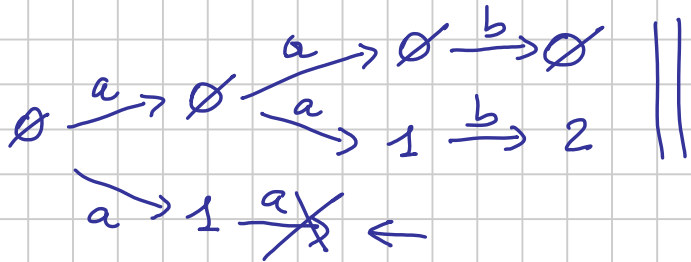


$$\Sigma = \{a, b, c\}$$

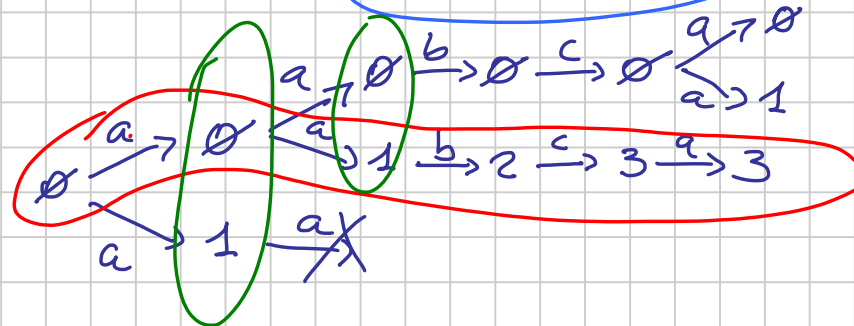
$$L = \{ \alpha \underline{abc} \beta \mid \alpha, \beta \in \Sigma^* \}$$

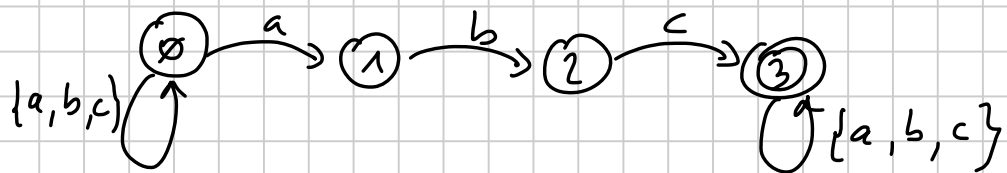


aab



aabca





| | | |
|--------------------|--------------------|--------------------|
| $\delta(0, a) = 1$ | $\delta(0, a) = 0$ | |
| $\delta(0, b) = 0$ | $\delta(0, c) = 0$ | |
| $\delta(1, b) = 2$ | $\delta(2, c) = 3$ | |
| $\delta(3, a) = 3$ | $\delta(3, b) = 3$ | $\delta(3, c) = 3$ |

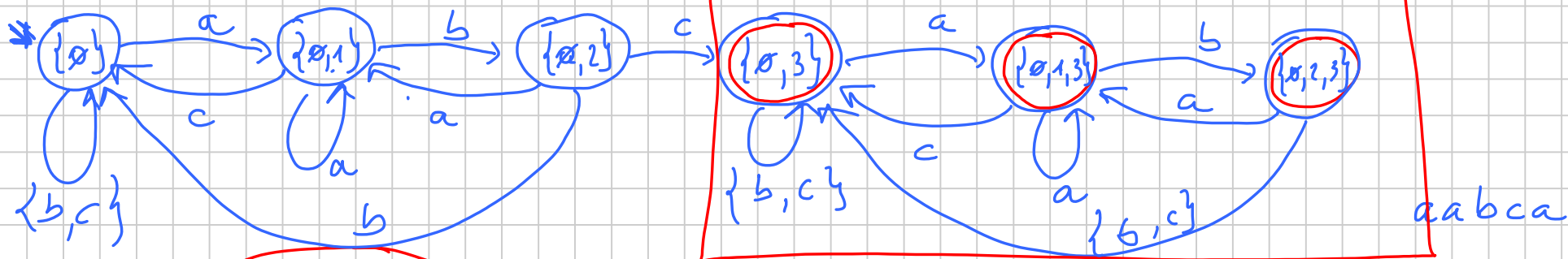
$$\begin{aligned} \{\emptyset\} &\xrightarrow{a} \{\emptyset, 1\} \\ \{\emptyset\} &\xrightarrow{b} \{\emptyset\} \\ \{\emptyset\} &\xrightarrow{c} \{\emptyset\} \end{aligned}$$

$$\begin{aligned} \{\emptyset, 1\} &\xrightarrow{a} \{\emptyset, 1\} \\ \{\emptyset, 1\} &\xrightarrow{b} \{\emptyset, 2\} \\ \{\emptyset, 1\} &\xrightarrow{c} \{\emptyset\} \end{aligned}$$

$$\begin{aligned} \{\emptyset, 2\} &\xrightarrow{a} \{\emptyset, 1\} \\ \{\emptyset, 2\} &\xrightarrow{b} \{\emptyset\} \\ \{\emptyset, 2\} &\xrightarrow{c} \{\emptyset, 3\} \\ \{\emptyset, 3\} &\xrightarrow{a} \{\emptyset, 1, 3\} \\ \{\emptyset, 3\} &\xrightarrow{b} \{\emptyset, 3\} \\ \{\emptyset, 3\} &\xrightarrow{c} \{\emptyset, 3\} \end{aligned}$$

$$\begin{aligned} \{\emptyset, 1, 3\} &\xrightarrow{a} \{\emptyset, 1, 3\} \\ \{\emptyset, 1, 3\} &\xrightarrow{b} \{\emptyset, 2, 3\} \\ \{\emptyset, 1, 3\} &\xrightarrow{c} \{\emptyset, 3\} \\ \{\emptyset, 2, 3\} &\xrightarrow{a} \{\emptyset, 1, 3\} \\ \{\emptyset, 2, 3\} &\xrightarrow{b} \{\emptyset, 3\} \\ \{\emptyset, 2, 3\} &\xrightarrow{c} \{\emptyset, 3\} \end{aligned}$$

Costruzione per sottoinsiemi



$$\begin{aligned} \{\emptyset\} &\xrightarrow{a} \{\emptyset, 1\} \\ \{\emptyset\} &\xrightarrow{b} \{\emptyset\} \\ \{\emptyset\} &\xrightarrow{c} \{\emptyset\} \end{aligned}$$

$$\begin{aligned} \{\emptyset, 1\} &\xrightarrow{a} \{\emptyset, 1\} \\ \{\emptyset, 1\} &\xrightarrow{b} \{\emptyset, 2\} \\ \{\emptyset, 1\} &\xrightarrow{c} \{\emptyset\} \end{aligned}$$

$$\begin{aligned} \{\emptyset, 2\} &\xrightarrow{a} \{\emptyset, 1\} \\ \{\emptyset, 2\} &\xrightarrow{b} \{\emptyset\} \\ \{\emptyset, 2\} &\xrightarrow{c} \{\emptyset, 3\} \end{aligned}$$

$$\begin{aligned} \{\emptyset, 3\} &\xrightarrow{a} \{\emptyset, 1, 3\} \\ \{\emptyset, 3\} &\xrightarrow{b} \{\emptyset, 3\} \\ \{\emptyset, 3\} &\xrightarrow{c} \{\emptyset, 3\} \end{aligned}$$

$$\begin{aligned} \{\emptyset, 1, 3\} &\xrightarrow{a} \{\emptyset, 1, 3\} \\ \{\emptyset, 1, 3\} &\xrightarrow{b} \{\emptyset, 2, 3\} \\ \{\emptyset, 1, 3\} &\xrightarrow{c} \{\emptyset, 3\} \\ \{\emptyset, 2, 3\} &\xrightarrow{a} \{\emptyset, 1, 3\} \\ \{\emptyset, 2, 3\} &\xrightarrow{b} \{\emptyset, 3\} \\ \{\emptyset, 2, 3\} &\xrightarrow{c} \{\emptyset, 3\} \end{aligned}$$

$ASFD \subseteq ASFND$

δ è una relazione
che è una funzione

δ è una relazione

Prendo un ASFND sono in grado di costruire
un ASFD equivalente (che riconosce lo
stesso insieme di stringhe su Σ)

$$A_{nd} = \langle \Sigma, Q, S, F, \delta \rangle$$

$$A_d = \langle \Sigma, \mathcal{P}_Q, \{S\}, F', \delta' \rangle$$

$$\delta'(P) = \left\{ P' \mid P' \in \mathcal{P}_Q \text{ e } \begin{array}{l} A_{nd} \in \text{ASFND} \\ \delta(s) \in P' \text{ per } s \in P \end{array} \right\}$$

$$= \{ \delta(s) \mid s \in P \} \quad A_d \in \text{ASFD}$$

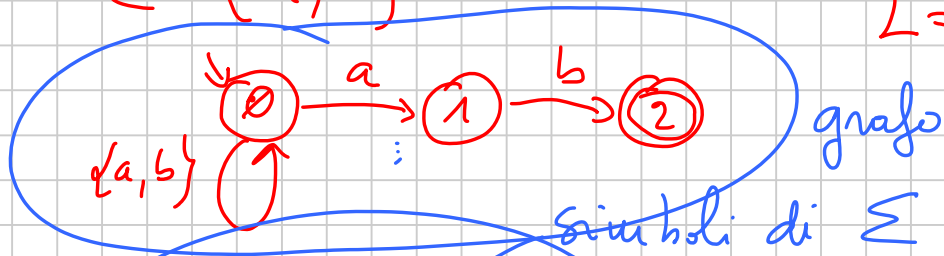
F' contiene i sottoinsiemi di Q che contengono almeno uno stato in F

Dato un insieme I ($F' = \{ P \mid P \in \mathcal{P}_Q \text{ e } P \cap F \neq \emptyset \}$)

l'insieme dei sottoinsiemi di I si indice \mathcal{P}_I (parti di I)

$$I = \{ \emptyset, 1, 2 \} \quad \mathcal{P}_I = \{ \emptyset, \{1\}, \{2\}, \{1, 2\}, \{ \emptyset, 1 \}, \{ \emptyset, 2 \}, \{ \emptyset, 1, 2 \} \}$$

$$\Sigma = \{a, b\}$$



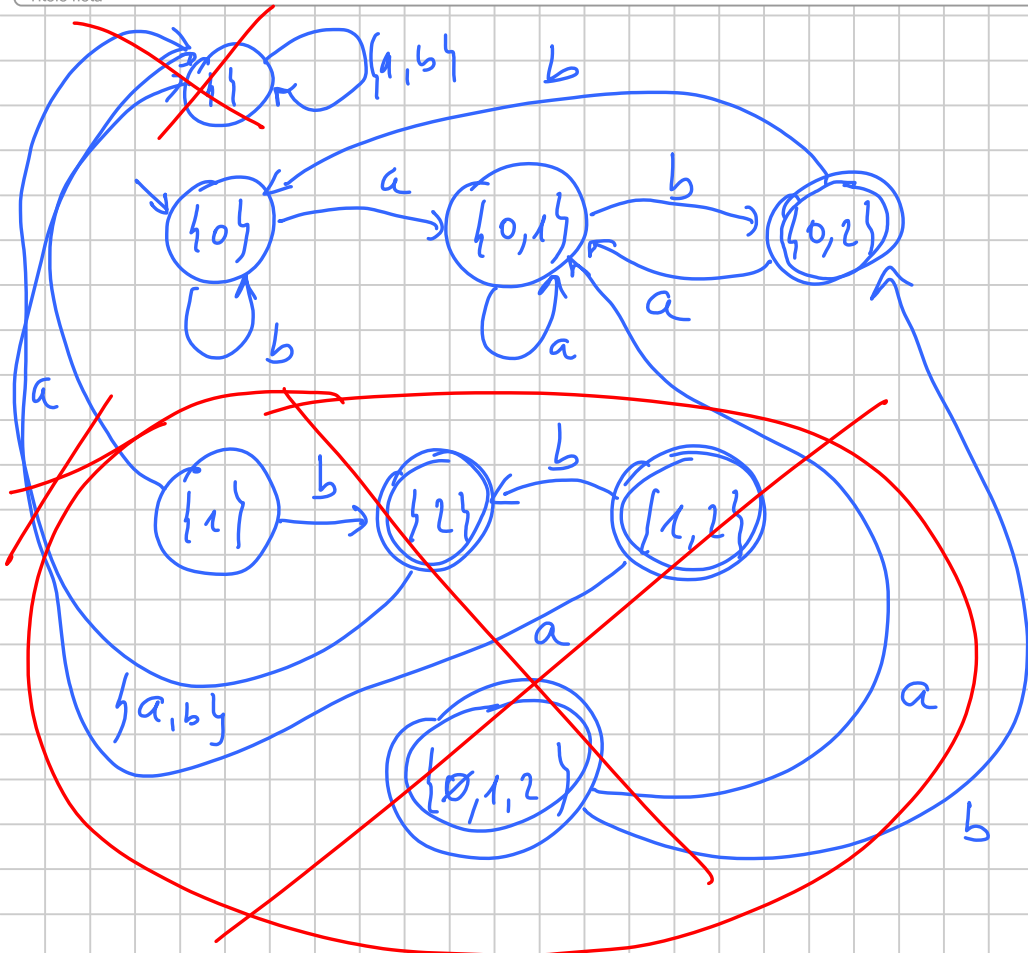
$$L = \{ \alpha ab \mid \alpha \in \Sigma^* \}$$

| | a | b |
|-----|-------|---|
| → 0 | {0,1} | ∅ |
| 1 | - | 2 |
| 2 | - | - |

↑ stati di Q

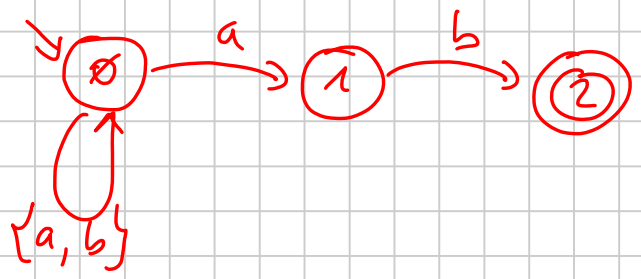
| | a | b |
|---------|-------|-------|
| ∅ | {} | {} |
| → {0} | {0,1} | {0} |
| {1} | {} | {2} |
| {0} | {} | {} |
| {0,1} | {0,1} | {0,2} |
| {0,2} | {0,1} | {0} |
| {1,2} | {} | {2} |
| {0,1,2} | {0,1} | {0,2} |

Tabella

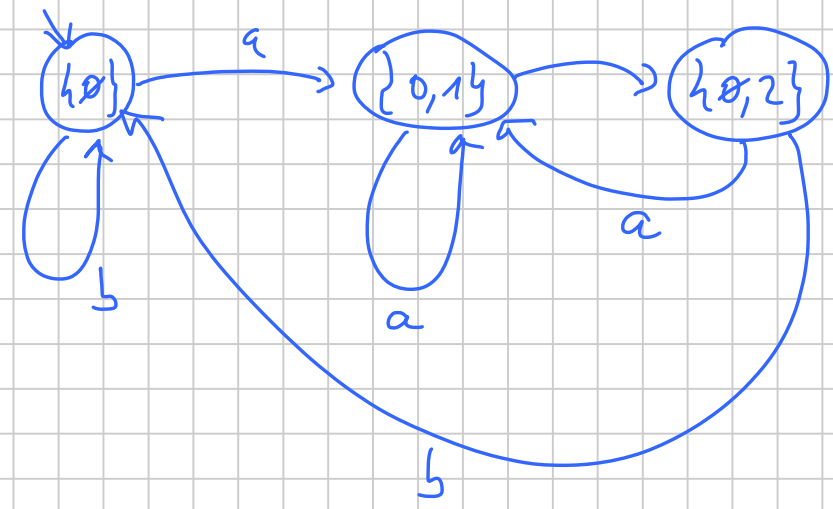
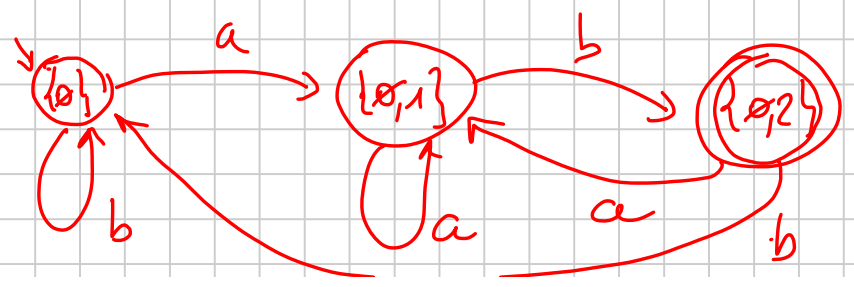


Tabella

| | a | b |
|---------------------------------|-------------------------------|-------------------------------|
| $\{1\}$ | $\{1\}$ | $\{1\}$ |
| $\rightarrow \{0,2\}$ | $\{0,1\}$ | $\{0\}$ |
| $\{1\}$ | $\{1\}$ | $\{2\}$ |
| $\{0\}$ | $\{1\}$ | $\{1\}$ |
| $\{0,1\}$ | $\{0,1\}$ | $\{0,2\}$ |
| $\{0,2\}$ | $\{0,1\}$ | $\{0\}$ |
| $\{1,2\}$ | $\{1\}$ | $\{2\}$ |
| $\{0,1,2\}$ | $\{0,1\}$ | $\{0,2\}$ |

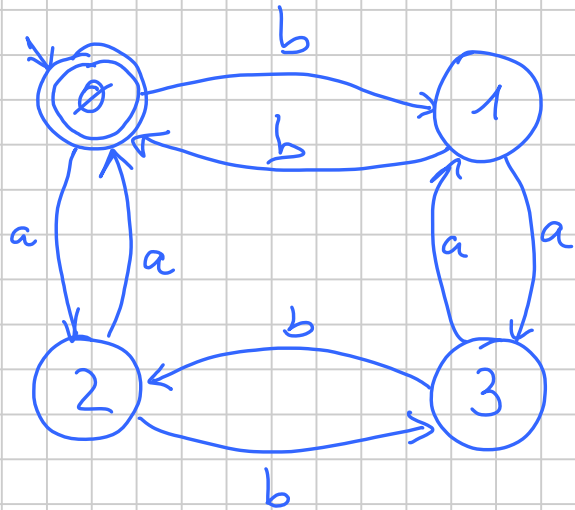


| | a | b |
|-------|-------|-------|
| {0} | {0,1} | {0} |
| {0,1} | {0,1} | {0,2} |
| {0,2} | {0,1} | {0} |



$$\Sigma = \{a, b\}$$

quando lo stato iniziale \bar{i}
di accettazione \bar{f} è riconosciuto



$L =$ insieme delle stringhe che
contengono un numero pari (anche 0)
di simboli a e un numero pari
di simboli b

0 pari a e pari b

1 pari a e dispari b

2 dispari a e pari b

3 dispari a e dispari b

$aabab \notin L$

$bbbb \in L$

$aabb \in L$

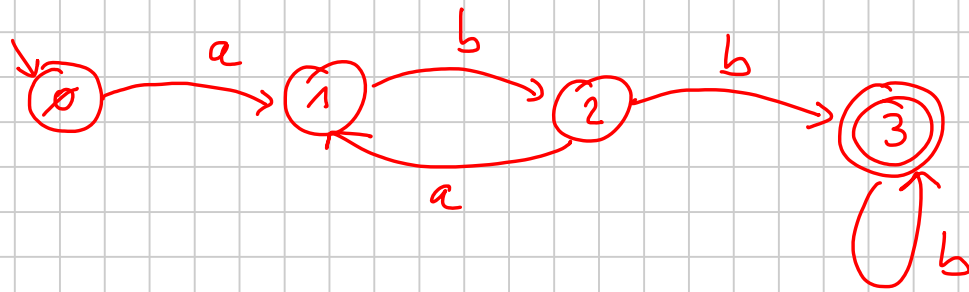
$abab \in L$

$baba \in L$

$abba \in L$

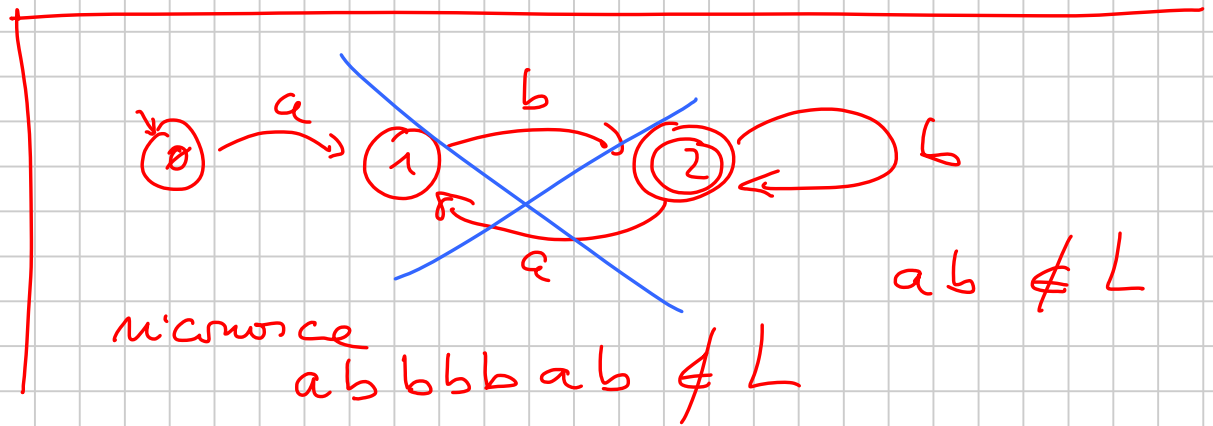
$\epsilon \in L$

$$\Sigma = \{a, b\} \quad L = \{(ab)^m b^m \mid m, m > 0\}$$



$abb \in L$
 $abab\underline{\underline{bb}} \in L$

bbb
 ~~\emptyset~~



noncorrisponde
 $abbbbab \notin L$

$ab \notin L$